

CAVOC: Compositional Automated Verification of OCaml

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- Started in September 2021
- Members:
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 - Gabriel Radanne (Inria researcher, Cash team)
- External member:
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- Objective:

Automatically check module-safety of OCaml code
- Based on:
 - Game semantics
 - Higher-order model checking
 - Constrained Horn clauses

Module-safety ?

```
module M : sig
  type t
  val get : unit → t
  val check : t → unit
end = struct
  type t = int
  let c = ref 0
  let get () = c := !c + 1; !c
  let check x = assert (x > 0)
end
```

Check that no OCaml code that uses this module trigger the assert

Long-term goal: Safety of the Buffer module

“This module implements buffers that automatically expand as necessary.”

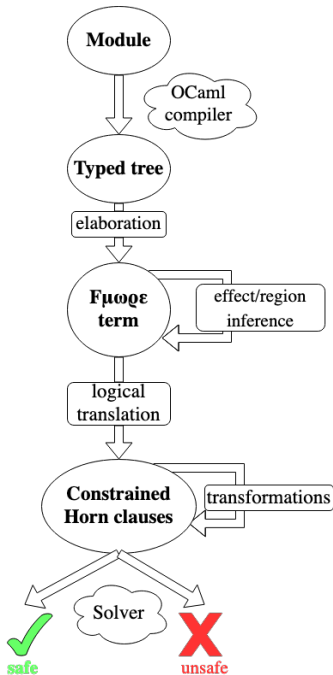
```
(* Excerpt of the signature:*)
```

```
type t
val create : int -> t
val contents : t -> string
val add_string : t -> string -> unit
```

```
(* Example of code *)
```

```
let concat_strings ss =
  let b = Buffer.create 16 in
    List.iter (Buffer.add_string b) ss;
    Buffer.contents b
```

- Abstract type `t` is implemented as a record with some mutable byte field;
- Resizing done by `add_string` is safe: no out of range access in the byte field.



F $\mu\omega\rho\varepsilon$

- F: Church-style parametric polymorphism
- μ : iso-recursive types
- ω : type constructors, higher-order polymorphism
- ρ : mutable references and region type system
- ε : exceptions and effect type system

- Use the OCaml compiler to parse and infer types
 - producing a `Typedtree`, the typed abstract syntax tree used internally by the compiler
- Elaborate the `Typedtree` into $F_{\mu\omega\rho\varepsilon}$
 - introduce variants and records construction into $F_{\mu\omega\rho\varepsilon}$
 - translate GADT via equality constraints and existential types
 - applicative/generative functors via the F-ing module methodology

Annotate function types with their associated effects:

- uncaught exceptions
 - using row polymorphism
 - useful for benign exceptions (like `Not_found`)
- mutable references
 - using regions associated to syntactic allocation points
 - detect location disclosure
 - provide aliasing information
- detect pure (effect-free) functions
 - easier to analyze

A fully-abstract game model for $F_{\mu\omega\rho\varepsilon}$

- Interaction between a $F_{\mu\omega\rho\varepsilon}$ program and its environment is represented as a **play** between **Proponent** (the program) and **Opponent** (the environment).
- Denotation of a program is formed by all the possible interactions with any environment.
- Plays in a denotation should be in exact correspondence with environment written in $F_{\mu\omega\rho\varepsilon}$: **full-abstraction**.

Operational presentation of game semantics

- Plays correspond to **traces** formed by calls and returns of functions exchanged between Proponent and Opponent.
- Such traces are computed by a labelled transition system representing the denotation of programs
- ↳ by computing interaction on the fly using operational semantics

Typing as behavioral specification

Types specifies the rules of the game between Player and Opponent:

- based on a polarized interpretation:
 - Interacting with values of **negative** types (codata)
 - Observing values of **positive** types (data)
- abstract values for polymorphic types are represented as atoms that can only be exchanged
 - computational interpretation of parametricity as dynamic sealing
- effect and region annotations constrains the behavior of Opponent.

Scaling to more complex interaction models

- Asynchronous callbacks for signal handlers;
- Finalizers from garbage collected values;
- Asynch/Lwt's promises;
- Multiple domains running in parallel (OCaml 5);
- algebraic effect and handlers with one-shot continuation (OCaml 5).

Future work!

Towards symbolic representation of the interactive denotation of $F_{\mu\omega\rho\varepsilon}$ terms

Main challenges:

- Disentangle the internal control flow (recursion, interprocedural) of a module with its interaction with Opponent;
- Reason symbolically on values exchanged between Proponent and Opponent;
- Represent dynamical allocation and the heap structure logically.

Constrained Horn Clauses

- A first-order formula of the shape

$$\forall \bar{x}. C \wedge B_1 \wedge \dots \wedge B_n \Rightarrow H$$

- C a constraint formula written in a specified theory (linear integer arithmetic, arrays, algebraic data-types, ...)
 - each B_i is a of the form $r(t_1, \dots, t_m)$ with r an uninterpreted relation symbol;
 - H is either false or of the form $r(t_1, \dots, t_m)$ as well.
- Solvers for checking satisfiability of CHC: z3, Eldarica, RInGen;
 - Used for automated verification of various programming languages
 - C (SeaHorn), Java (JayHorn), Ada (AdaHorn); Rust (RustHorn)
 - Simplification of CHCs via some transformations
 - Elimination of algebraic data-types, arrays, heaps
 - From non-linear to linear CHCs.

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